

SECRET

8 Feb 1956

TIME SCHEDULE

25X1

23 Jan-13 Feb 3 weeks	Design transistorized audio amplifier to feed MINIFON.
13 Feb-27 Feb 2 weeks	Design matching section from Microstrip horn to crystal.
27 Feb-5 Mar 1 week	Out for crystal conference.
X+1 1/2 5 Mar-26 Mar 3 weeks	Cold test amplifiers and compensate for temperature range.
X Feb Eng 26 Mar-9 Apr 2 weeks	Cold test batteries and design power pack.
→ 9 Apr-30 Apr 3 weeks	RF test antenna and detector unit to obtain optimum sensitivity and sensitivity calibration over the frequency range required.
X Mech } X Eng. } X Shop Time } 30 Apr-7 May 1 week	Design external switch.
7 May-14 May 1 week	
14 May-28 May 2 weeks	Pot amplifiers and make final adjustments on demand system.
28 May-11 June 2 weeks	Complete assembly of final model.
11 June-18 June 1 week	Final test.

25X1

Present estimated delivery dates for components of the project are as follows:

Hewlett Packard test equipment	1 April (approx)
Haydon timing motor	1 May
Miniature relay	27 May

SECRET**CONFIDENTIAL**

DOC	REV	2-12-80	008632
ORIG	EGMP		
ORIG	CLASS	S	
JUST	22	NEXT REV	2010

POWER REQUIREMENTS

The record head of the MINIFON requires an input of about 40 volts peak to peak at an impedance of about 30,000 ohms.

With the 2,000 to 20,000 transformer which was included in the demand circuit (T_1) to feed the record head, a source capable of delivering about 10 volts peak to peak (3.5 Volts rms) into an impedance of about 2000 ohms is sufficient.

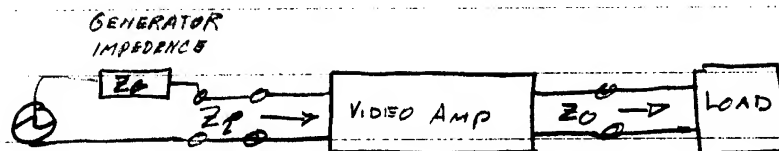
This source (approximately 5 milliwatts at 3.5 volts rms) is sufficient to activate the demand circuit.

Gain of Video-amp.
for optimum sensitivity

ACS

18 Jan 56

~~CONFIDENTIAL~~



Assuming a matched input and output the power levels at input and output are related by:

$$(1) \quad \frac{E_i^2}{Z_i} G_p = \frac{E_o^2}{Z_o} = P_L$$

E_o = output voltage
 E_i = input "
 Z_o = output load
 Z_i = input impedance
 G_p = power gain
 P_L = load power

The input noise will be (again assuming a matched condition): $Z_G = Z_i$

$$(2) \quad E_{HN}^2 = 4\alpha kT\Delta f Z_i$$

$$k = \text{Boltzmann's const.}$$

$$(1.374 \times 10^{-23} \text{ watts} / \text{K cycle})$$

$$T = \text{degrees kelvin}$$

$$\Delta f = \text{Bandwidth in cps}$$

$$\alpha = \text{Noise ratio}$$

$$(\text{Noise factor} = 10 \log_{10} \alpha)$$

(2)

from (1) the minimum detectable signal will be:

$$(3) \quad E_{i \min} = \sqrt{\frac{P_L}{G_P} Z_i}$$

so from (2) and (3) the ratio of the minimum detectable signal to the noise will be:

$$(4) \quad \frac{E_{i \min}}{E_{i n}} = \sqrt{\frac{P_L}{G_P \cdot 4 \alpha K T \Delta f}}$$

the power required to drive the 2N157 transistor is about $\frac{1}{2}$ mW, and G_P for the transistorized video amplifier is about 60 db or 10^6 .

$\alpha \approx 10$ and $T = 300^\circ K$, $\Delta f = 10^6$ cps

$$\text{then } \frac{E_{i \min}}{E_{i n}} \approx 1.7 \times 10^2$$

this is a good right. Actually if the bandwidth of the video amplifier is no larger than 10^6 cps and α is no larger than 10, the gain (G_P) should be about 80 db.

for an $E_{i \min} / E_{i n}$ of about 10.

An estimate of the noise generated
in Microwave crystals

(reference Crystal Rectifiers, Torrey
& Whitmer - MIT Lab series #15.

pp 344-349 and p. 482

In the absence of d.c. bias on the
crystal the noise is almost entirely
Johnson noise:

Thus $P_n = 4KT \Delta f$

in our case Δf is about 1.5 MC

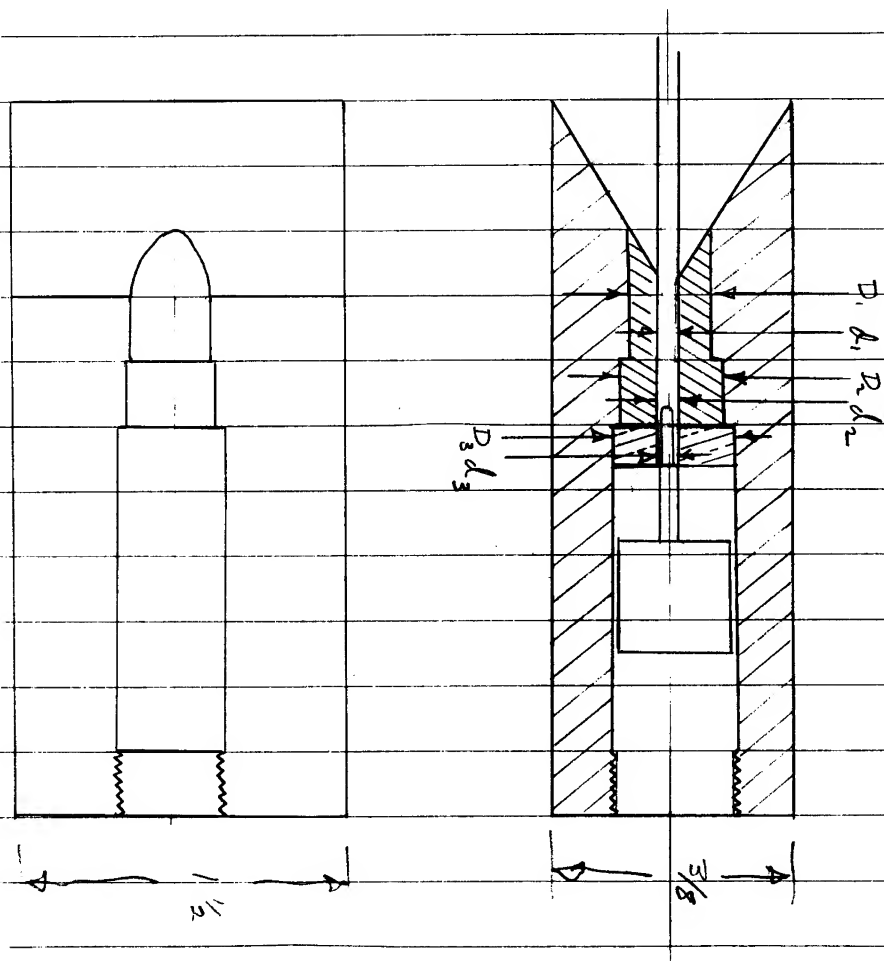
$$\begin{aligned} 4KT \Delta f &= 4 \times 4 \times 10^{-21} \times 1.5 \times 10^6 \\ &= 2.4 \times 10^{-14} \text{ watts} \\ &= 2.4 \times 10^{-11} \text{ mW} \end{aligned}$$

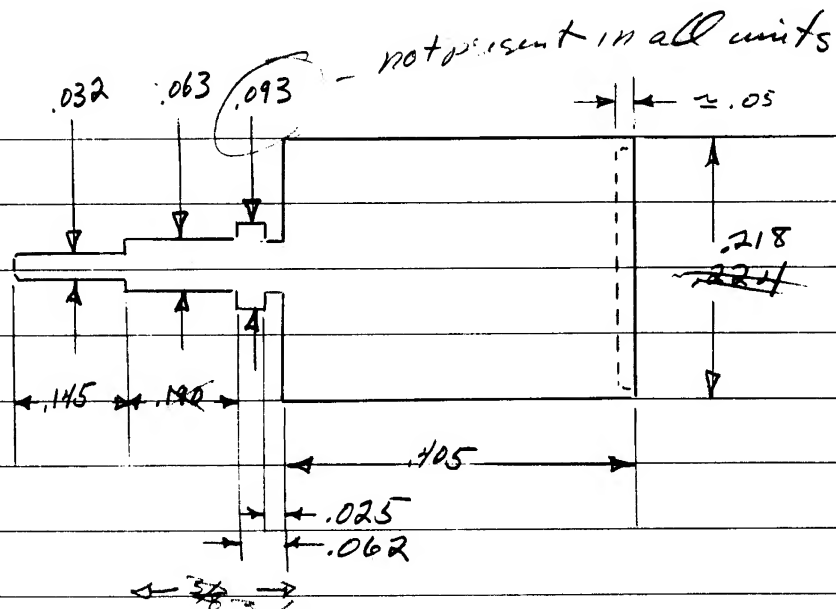
Thus about 40 db of gain is
desired to raise the power level
to about 2 mW. from a signal
to noise ratio of 1.

(this noise is about 10 db above the
noise to be expected from a transistor with
a frequency ratio of about 250)

PCS 23 Jan 54

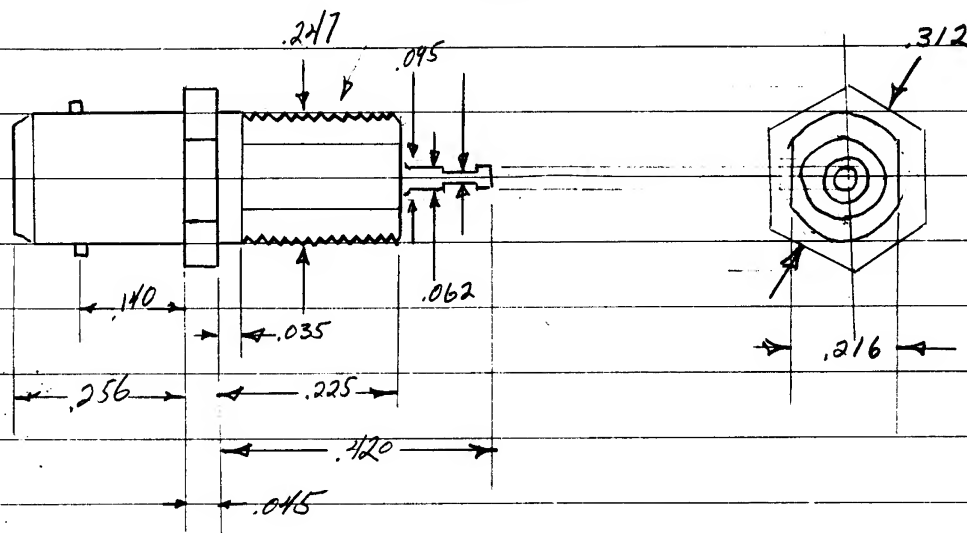
Page Denied



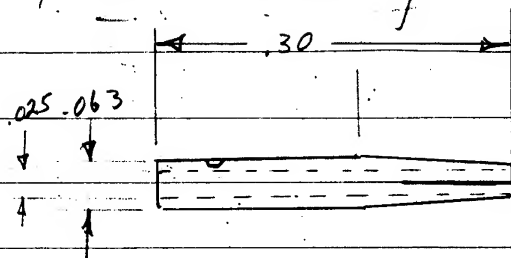


"MODIFIED" IN26 CRYSTAL

$\frac{1}{4}$ - 32



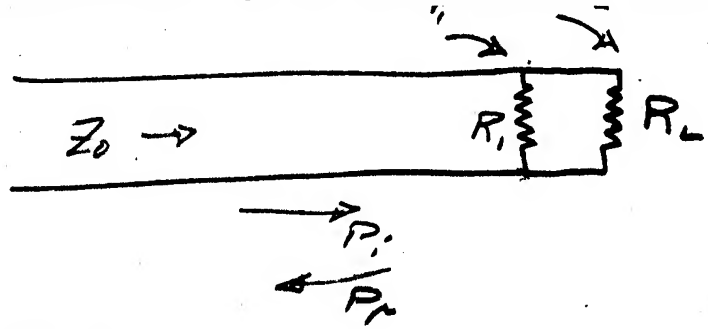
IPC-46025



PIN for IPC # 45275

①

$$\text{if } R = \frac{R_1 R_L}{R_1 + R_L}$$



$$\text{voltage refl. coeff} = \frac{R - Z_0}{R + Z_0} \quad (1)$$

$$\text{power " " " } = \left(\frac{R - Z_0}{R + Z_0} \right)^2 = \frac{P_r}{P_i} \quad (2)$$

$$\begin{aligned} \text{also } P_i R_1 &= P_L R_L \\ \text{where } P_i + P_L &= P_i - P_r \end{aligned} \quad \left\{ \begin{aligned} &\text{or } P_i - P_r = P_L \left(1 + \frac{R_L}{R_1} \right) \end{aligned} \right. \quad (3)$$

$$\text{from (2)} \quad \frac{P_i - P_r}{P_i} = 1 - \left(\frac{R - Z_0}{R + Z_0} \right)^2 \quad (4)$$

so @ (3) since:

$$\frac{P_L}{P_i} = \frac{1 - \left(\frac{R - Z_0}{R + Z_0} \right)^2}{1 + \frac{R_L}{R_1}} \quad (5)$$

(2)

$$\text{if } R = Z_0$$

$$\left[\frac{P_L}{P_i} = \frac{R_i}{R_i + R_L} \right] = \frac{Z_0}{R_L}$$

compared with the case where $R_i = \infty$

$$\frac{P_L}{P_i} = 1 - \left(\frac{R_L - Z_0}{R_L + Z_0} \right)^2 = \frac{(R_L + Z_0)^2 - (R_L - Z_0)^2}{(R_L + Z_0)^2}$$

$$\left[\frac{P_L}{P_i} = \frac{4 R_L Z_0}{(R_L + Z_0)^2} \right]$$

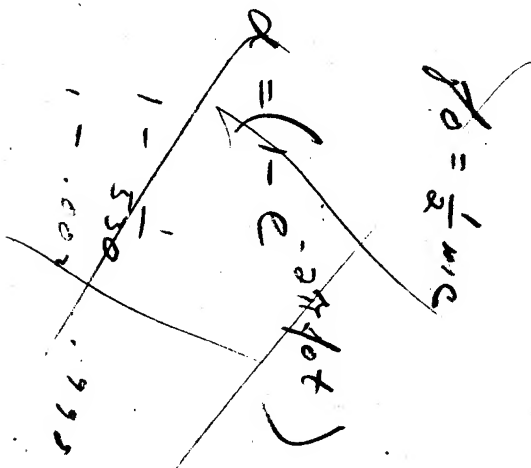
So that the reduction in absorbed power is:

$$F = \frac{4 R_L^2}{(R_L + Z_0)^2}$$

$$\text{if } Z_0 = 100 \quad F \approx 4$$

$$R_L = 10,000$$

$$R_L = 1,000 \quad F = \frac{4}{1.21}$$



(3)

$$\frac{\partial R_i}{\partial R} = \left(\frac{1}{1 + \frac{R_L}{R_i}} \right) (-2) \frac{(R+Z_0) - (R-Z_0)}{(R+Z_0)^2} + \left[1 - \left(\frac{R-Z_0}{R+Z_0} \right)^2 \right] \left(-\frac{R_L}{R_i^2} \right) \frac{\partial R_i}{\partial R}$$

$$R = \frac{R_i R_L}{R_i + R_L} ; \quad dR(R_i + R_L) + R dR_i = R_L dR_i$$

$$\frac{dR_i}{dR} = \frac{R_i + R_L}{R_L - R}$$

$$\text{So } \frac{\partial}{\partial R} = -2 \left(\frac{R_i}{R_i + R_L} \right) \frac{2Z_0}{(R+Z_0)^2} + \frac{(R+Z_0)^2 - (R-Z_0)^2}{(R+Z_0)^2} \frac{R_L}{R_i^2} \frac{R_i + R_L}{R_L - R}$$

= 0

$$-4 \frac{R_i Z_0}{(R_i + R_L)} = \frac{4RZ_0}{(R^2 + 2RZ_0 + Z_0^2 - R^2 + 2RZ_0 - Z_0^2)} \frac{R_L}{R_i^2} \frac{R_i + R_L}{R_L - R}$$

$$\text{or } \frac{-R_i}{R_i + R_L} = R \frac{R_L}{R_i^2} \frac{R_i + R_L}{R_L - R}$$

$$1 - \frac{R_i^3}{(R_i + R_L)^2} = \frac{R R_L}{R_L - R}$$

$$\text{or } -\alpha (R_L - R) = R R_L$$

$$R(R_L - \alpha) = -\alpha R_L$$

$$R = \left(\frac{\alpha R_L}{\alpha - R_L} \right)$$

R =

(4)

$$R = - \frac{R_1^3 R_L}{(R_1 + R_L)^2} \cdot \frac{1}{\frac{-R_1^3}{(R_1 + R_L)^2} - \frac{R_L (R_1 + R_L)^2}{(R_1 + R_L)^2}}$$

$$= \frac{+ R_1^3 R_L}{+ R_1^3 + R_L (R_1 + R_L)^2}$$

$$= \frac{R_1 R_L}{R_1 + R_L \left(\frac{R_1 + R_L}{R_1} \right)^2}$$

$$1 - \left(\frac{R_L^2}{R_1^2 + R_L^2} \right) = \frac{R_1^2 - R_L^2}{R_1^2 + R_L^2}$$

$$R = R_1$$

Temperature vs time
for constant voltage
Thermistor

ACS

1/15/56

CONFIDENTIAL

Equations

Heat flow (calories/sec):

$$\frac{K(S_2 + S_1)(T_1 - T_2)}{2d}$$

Heat influx (calories/sec):

$$\frac{V^2}{4.85 R(T)}$$

Heat radiation (calories/sec)

$$\frac{\sigma}{4.85} S_2 T_2^4$$

in general, $dT = \frac{1}{ms} dH$

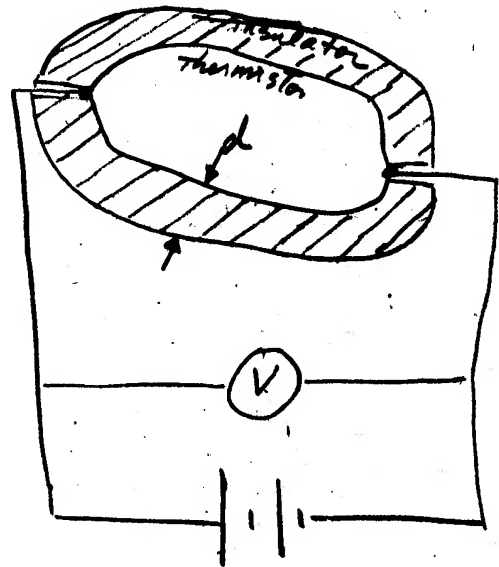
thus:

$$m_1 s_1 \frac{dT_1}{dt} = \frac{V^2}{4.85 R(T)} - \frac{K(S_2 + S_1)(T_1 - T_2)}{2d}$$

and

$$\frac{m_2 s_2}{2} \frac{d(T_1 - T_2)}{dt} = \frac{K(S_2 + S_1)(T_1 - T_2)}{2d} - \frac{\sigma}{4.85} S_2 T_2^4$$

- if T_2 is of the order of the ambient temperature, the unit will also absorb radiation in appreciable quantity.



thermistor:

 m_1 = mass s_1 = specific heat S_1 = surface area V_1 = volume ρ = specific gravity T_1 = temperature ($^{\circ}K$)

insulator:

 m_2, s_2, S_2 , etc

$$\sigma = 5.710 \times 10^{-12} \text{ joules/cm}^2 \text{ sec (deg)}^4$$

(Richtmyer & Kennard, p. 183)

 K = constant of thermal conductivity T_2 = outside temp $R(T)$ = resistance of thermistor t = time - seconds

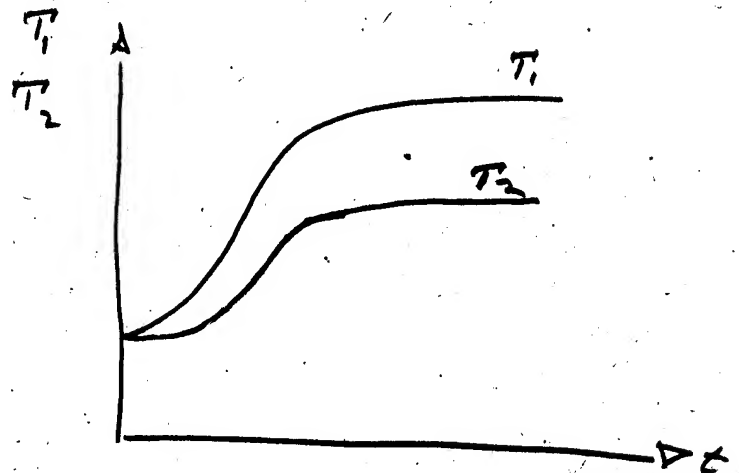
thus to make the thermistor heat quickly
one would desire:

- small mass (m)
- small specific heat (s)
- large voltage (V)
- small thermistor resistance ($R(T)$)
- small insulator conductivity (K)
- small surface area (S)
- large insulator thickness (d)

thus in general a heat sensitive timing
thermistor should be small in size.

and the initial temperature rise would be

$\left. \frac{dT_1}{dt} \right|_0 = \frac{V^2}{4.85 m, s, R(T_1)}$; This rate would have
a tendency to increase due to a decreasing $R(T)$
but to decrease because of an increasing $(T_1 - T_2)$
giving an "S" shaped curve.



$$P_r = \frac{P_T G_T G_R \lambda^2}{(4\pi)^2 R^2} \quad (1)$$

25X1

$$\text{or } \left[\frac{P_T}{4\pi R^2} = \frac{4\pi P_r}{G_T G_R \lambda^2} \right]$$

for 1N31, P_{\max} for burnout is .1 to .5 watts (2)

Suppose $G_T = G_R = 10$

$$\text{and } \lambda^2 = (3 \text{ cm})^2 = .01 \text{ ft}^2$$

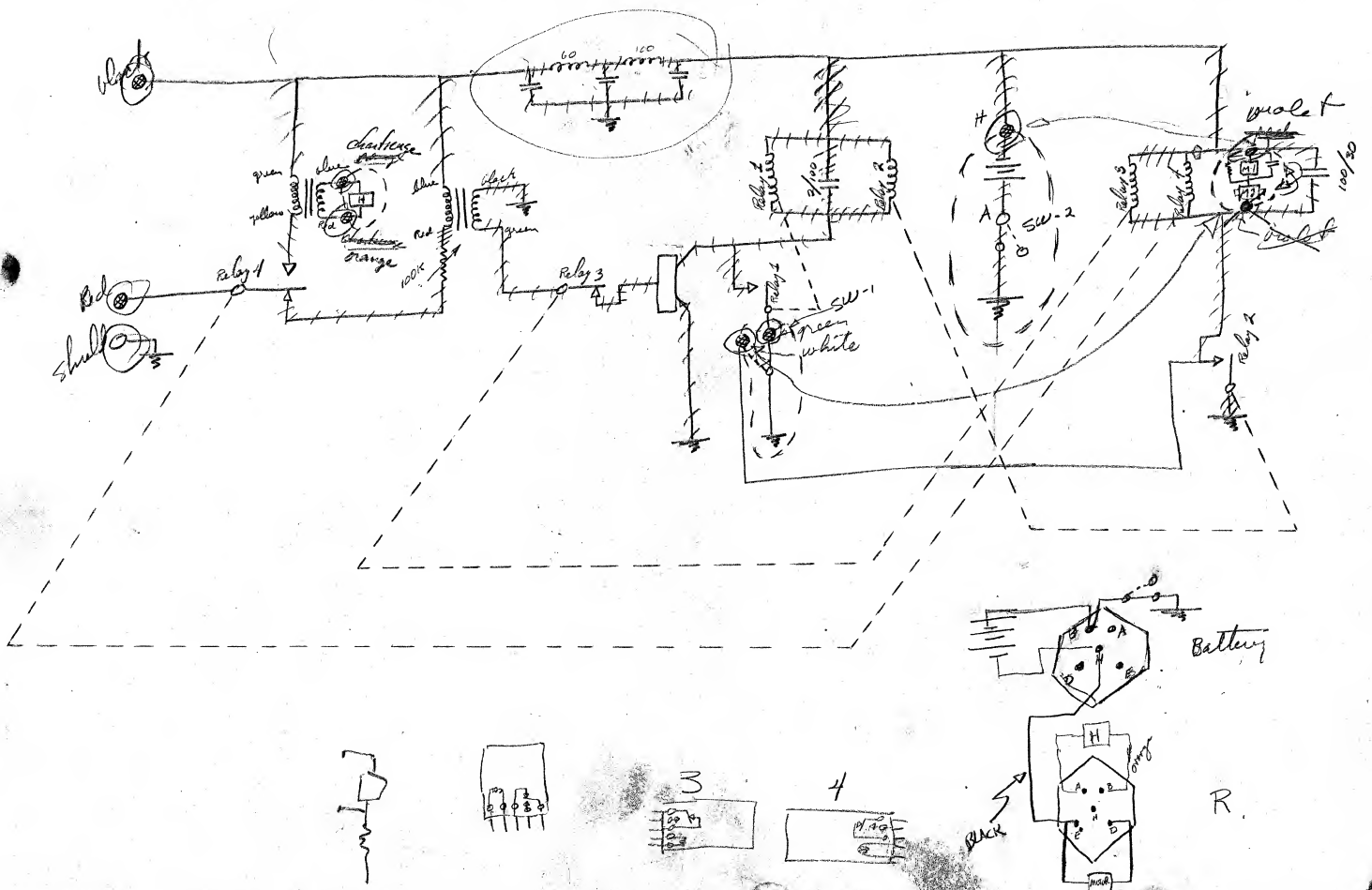
$$\text{then } \frac{P_T}{4\pi R^2} = \frac{\frac{4\pi}{900} (.1 \text{ to } .5) \text{ watts/cm}^2}{4\pi \times (.1 \text{ to } .5) \text{ watts/ft}^2}$$

or the maximum incident intensity will be
.0014 to .007 watts/cm²

and $\frac{P_T}{R^2} = 16 \text{ to } 80 \text{ watts/ft}^2$ gives the transmitted power in terms of range.

for example if $R = 100 \text{ feet}$, $P_T = 160 \text{ to } 800 \text{ kw}$

- (1) P, 576 - Silver, "Microwave antenna theory & design" Red tab #12
- (2) P 263 - Toney & Whitmer, "Crystal Rectifiers", Red tab #15



PARTS REQUIREMENT

- 5 Transformaers, 2,000-10,000 ohms, Argonne no AR-109 } STAT
- 5 Transformers, 400-20,000 ohms, Argonne no AR -105 } COD 1 wk.
- 5 RF Chokes, 60 mh, 100 ma, Miller no 693 } Available D.C.
- 5 RF Chakes, 150 Mh, 100 ma, Miller no 961 } 3-4 wks max.
- 10 Elgin "Neomite" NM2K relay, Coil res. 2000 ohms, sensitivity 100 mw ~~test~~ *immediate*
- ~~procurement was in excess of 180 days - phone call probably could shorten~~
- 5 Haydon timing motor, series 9200, 6 volt, 70 ma, 1/5 rpm. *considerably*
- Manufacture 4 wks max.*

Cap acitors: (Standard "Fansteel" items)

~~Tantalum~~

- 20 Tantalum, 10 mf at 25 volts
- 20 ~~35~~ Tantalum, 175 mf at 15 volts
- 15 Tantalum, 100 mf at 30 volts
- 7 Tantalum, 2 mf at 30 volts
- } Available D.C.
3-4 wks. max.

- 5 Transistors, 2N57, Minneapolis Honeywell
- 5 Potentiometers, 0-100,000 ohms
- } Available D.C.
3-4 wks max.

15 Transistors - 2N34, RCA?

Input Voltage Requirement: 10V p-p 5mw. 1000Ω
(3.5V RMS)

Amp. 1/4 volt into 1/2 megohm.

Spaw?

5 Microswitch levers, type JS-2

20 2N34', (transistors)

~~Ex~~

CONNECTORS 10 each

IPC #45275 (male)

IPC #46025 (female)

We have these on hand - should order more if we decide to use them.

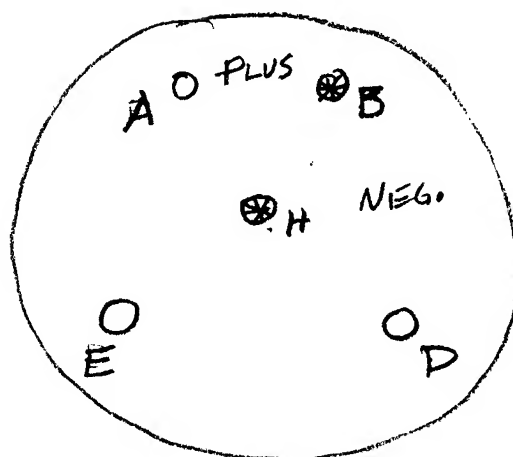
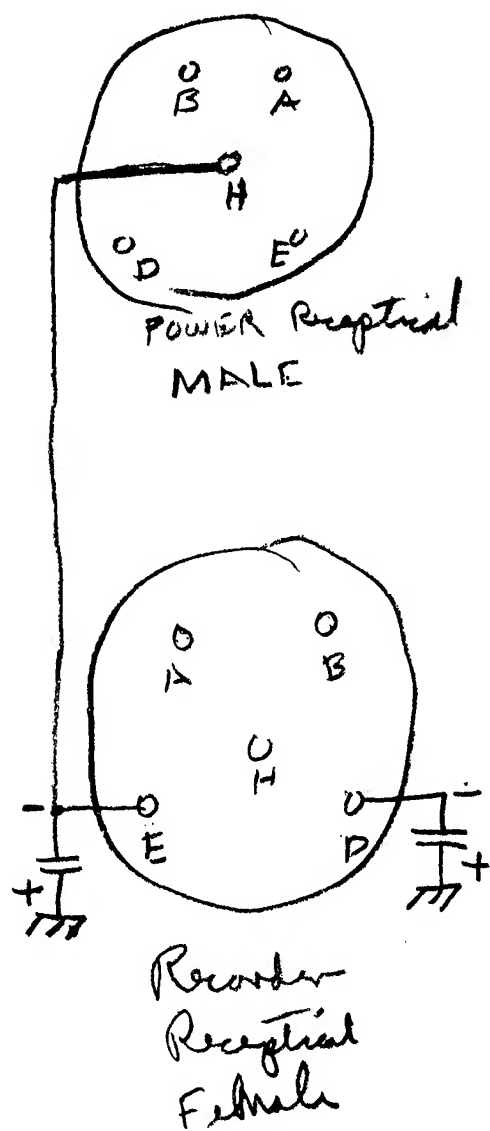
* * *

BATTERIES

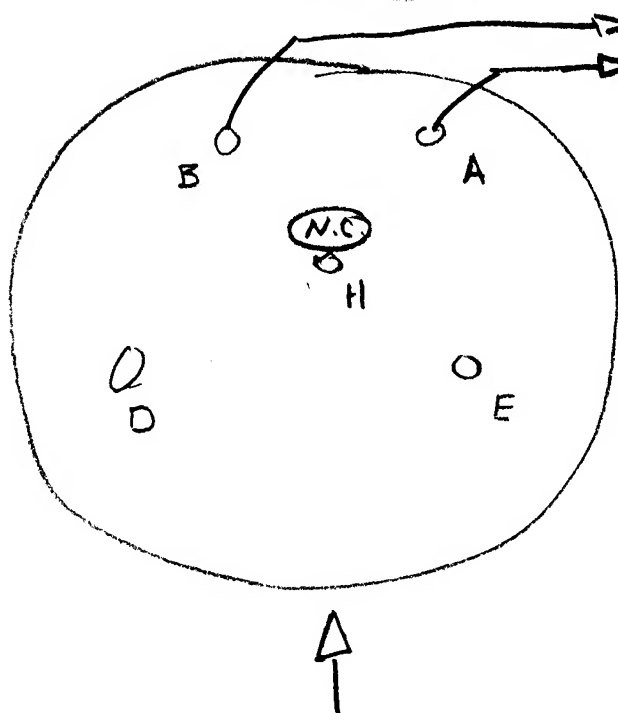
50 H R-1 Silver Cells

Some question whether these are required.

BATT. FEMALE



B. Pos



TO HEAD
D.C. R = 220 Ω

RECORD MALE

Thermistor Time delay

ACS

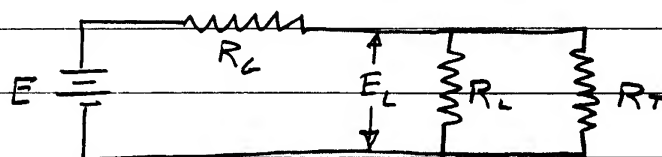
12 Jan 56

(1)

a carbonaceous Co Type F thermistor may have its resistance in the range from 20°C to 80°C

which means that a variation in R/R_1 may be about $8/5$.

If the relay is to be timed with the following circuit:



R_G = Source resistance

R_L = load resistance

R_T = Thermistor resistance

$$\frac{E_L}{E} = \frac{R}{R_G + R} \quad \text{where} \quad R = \frac{R_L R_T}{R_L + R_T}$$

Thus it is seen that a larger negative resistance coefficient in R_T will allow the circuit to work ($\frac{E_L}{E}$ fall to a given fraction) for smaller values of E and R_G .

the western Electric line
of thermistors have a temp.
coeff. of $-4.4\%/^{\circ}\text{C}$ compared
to $2.2\%/^{\circ}\text{C}$ for the Carborundum
Company ones.

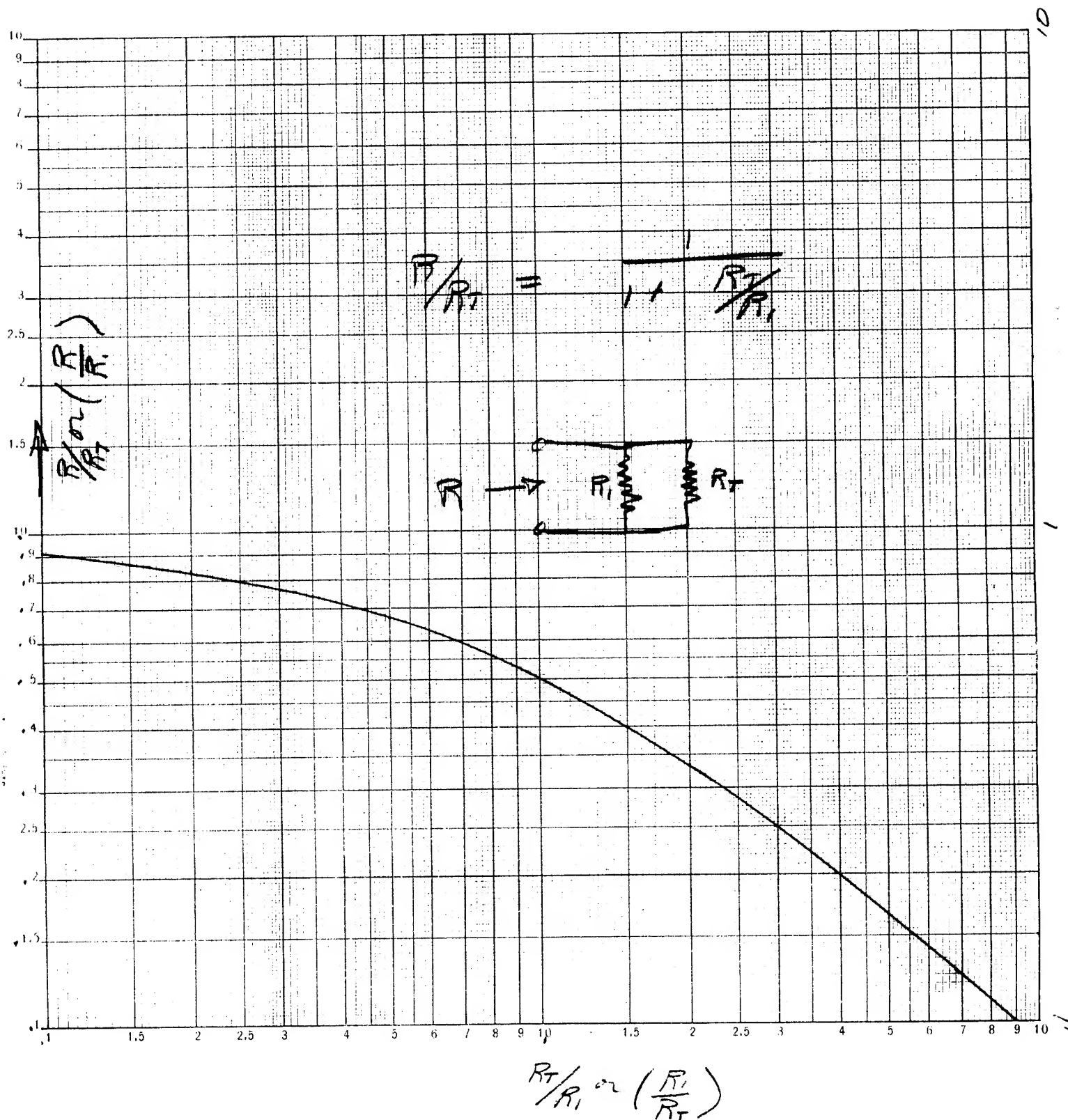
Thus six Western Electric

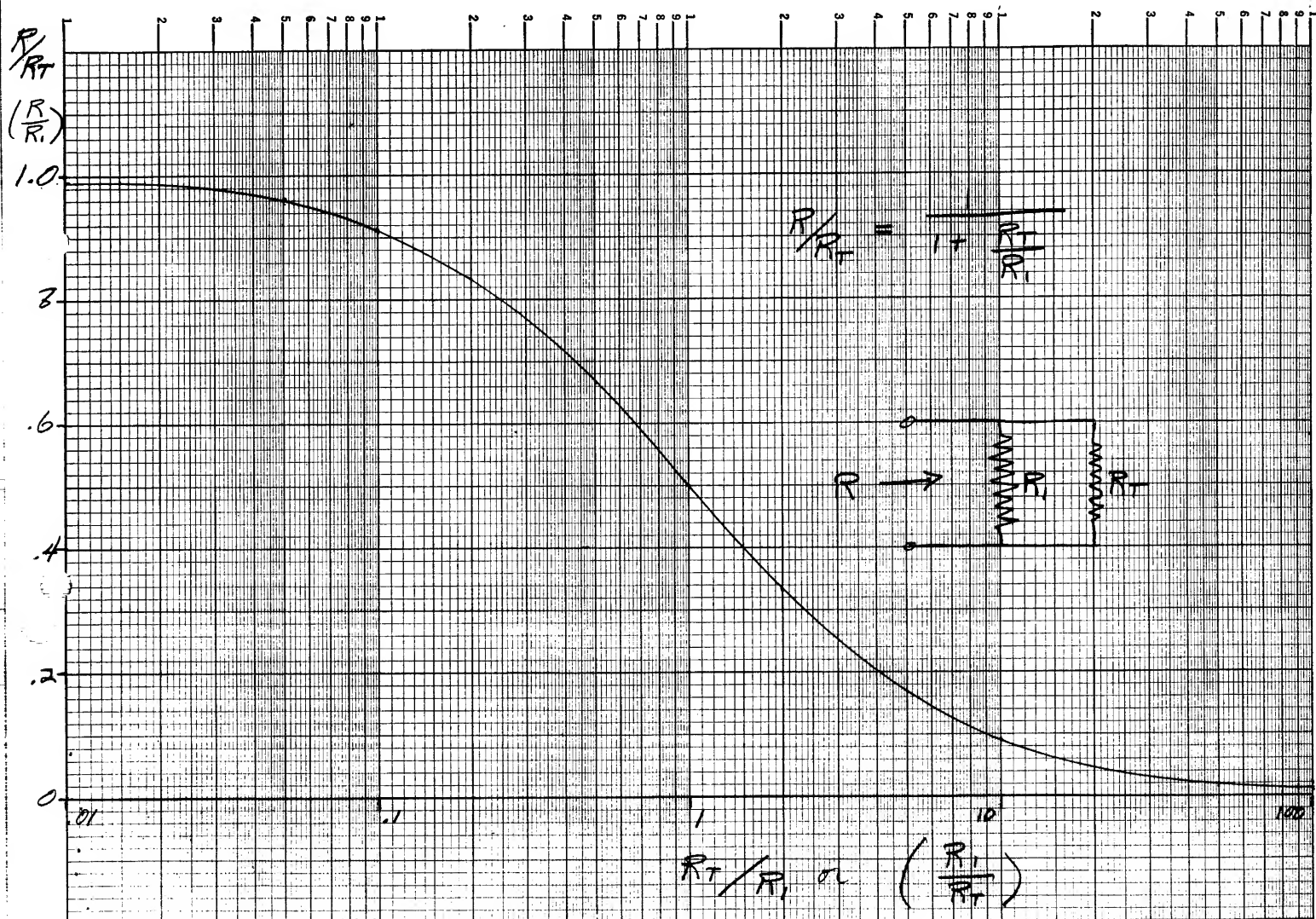
4A, 4B and ~~4C~~
thermistors have been ordered.

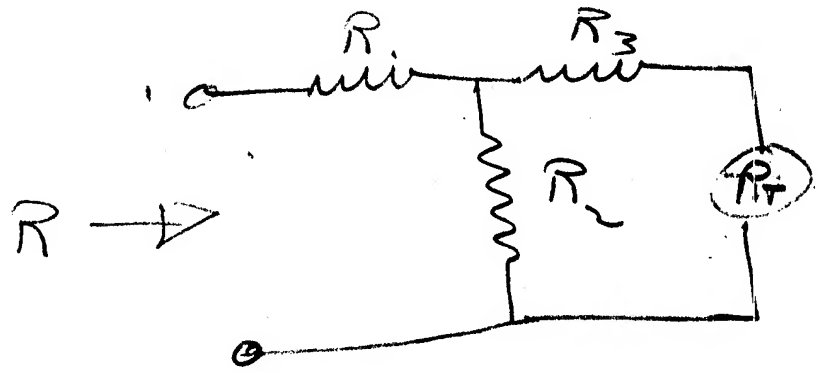
As previously ordered
Type F thermistor kit #5

Carbondale Co
Niagara Falls, N.Y.

	R(25°C)	B	Watts
1	5	1100	0.5
2	10	1400	0.5
3	20	1500	0.5
4	40	1450	0.25
5	220	1750	0.25
6	10,000	1950	0.25







$$R = R_1 + \frac{1}{\frac{1}{R_2} + \frac{1}{R_3 + R_T}} ; R_T = R_0 \exp\left(B\left(\frac{1}{T} - \frac{1}{T_0}\right)\right)$$

when $T = 50 \quad 0 \quad -50$

$$R_T \approx \frac{R_0}{10} \quad R_0 \quad 10R_0$$

$T = 0$

$$R = R_1 + \frac{1}{\frac{1}{R_2} + \frac{1}{R_3 + R_0}}$$

$T' = 50$

$$R' = R_1 + \frac{1}{\frac{1}{R_2} + \frac{1}{R_3 + \frac{R_0}{10}}}$$

$T'' = -50$

$$R'' = R_1 + \frac{1}{\frac{1}{R_2} + \frac{1}{R_3 + 10R_0}}$$

$$\frac{R}{R_1} = \frac{\left(\frac{R_1}{R_2} + \frac{R_1}{R_3 + R_0} + 1 \right)}{\left(\frac{1}{R_2} + \frac{1}{R_3 + R_0} \right)} \cdot \frac{\left(\frac{1}{R_2} + \frac{1}{R_3 + \frac{R_0}{10}} \right)}{\left(\frac{R_1}{R_2} + \frac{R_1}{R_3 + \frac{R_0}{10}} + 1 \right)}$$

$$= \frac{\left[R_1(R_3 + R_0) + R_1 R_2 + R_2(R_3 + R_0) \right] \left[R_2 + R_3 + \frac{R_0}{10} \right]}{\left[R_2 + R_3 + R_0 \right] \left[R_1(R_3 + \frac{R_0}{10}) + R_1 R_2 + R_2(R_3 + \frac{R_0}{10}) \right]}$$

$$= \frac{\left[R_1 R_3 + R_1 R_0 + R_1 R_2 + R_2 R_3 + R_2 R_0 \right] \left[R_2 + R_3 + \frac{R_0}{10} \right]}{\left[R_2 + R_3 + R_0 \right] \left[R_1 R_3 + \frac{R_1 R_0}{10} + R_1 R_2 + R_2 R_3 + \frac{R_2 R_0}{10} \right]}$$

$$= \frac{\begin{aligned} & \left[R_1 R_2 R_3 + R_1 R_2 R_0 + R_1 R_2^2 + R_2^2 R_3 + R_2^2 R_0 \right. \\ & + R_1 R_3^2 + R_1 R_3 R_0 + R_1 R_2 R_3 + R_2 R_3^2 + R_2 R_3 R_0 \\ & + \frac{R_1 R_3 R_0}{10} + \frac{R_1 R_0^2}{10} + \frac{R_1 R_2 R_0}{10} + \frac{R_2 R_3 R_0}{10} + \frac{R_2 R_0^2}{10} \end{aligned}}$$

$$\begin{aligned} & R_1 R_2 R_3 + \frac{R_1 R_2 R_0}{10} + R_1 R_2^2 + R_2^2 R_3 + \frac{R_2^2 R_0}{10} \\ & + R_1 R_3^2 + \frac{R_1 R_3 R_0}{10} + R_1 R_2 R_3 + R_2 R_3^2 + \frac{R_2 R_3 R_0}{10} \\ & + R_1 R_3 R_0 + \frac{R_1 R_0^2}{10} + R_1 R_2 R_0 + R_2 R_3 R_0 + R_2 R_0^2 \end{aligned}$$

$$\left[2R_1 R_2 R_3 + R_1 R_2 R_0 + R_1 R_3 R_0 + R_2 R_3 R_0 + R_1 R_2^2 + R_2^2 R_3 \right. \\ \left. + R_1 R_3^2 + R_2 R_3^2 + \frac{R_1 R_0^2}{10} + \frac{R_2 R_0^2}{10} + \frac{R_1 R_3 R_0}{10} + \frac{R_2 R_3 R_0}{10} \right] \\ \left. + \frac{R_1^2 R_0}{10} + \frac{R_2^2 R_0}{10} \right] + R_2^2 R_0$$

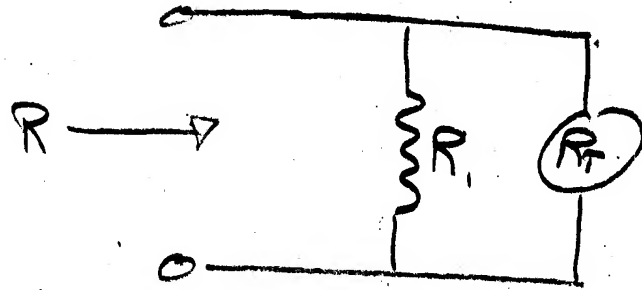
$$\left[2R_1 R_2 R_3 + R_1 R_2 R_0 + R_1 R_3 R_0 + R_2 R_3 R_0 + R_1 R_2^2 + R_2^2 R_3 \right. \\ \left. + R_1 R_3^2 + R_2 R_3^2 + \frac{R_1 R_0^2}{10} + \frac{R_2 R_0^2}{10} + \frac{R_1 R_3 R_0}{10} + \frac{R_2 R_3 R_0}{10} \right] \\ \left. + \frac{R_1^2 R_0}{10} + \frac{R_2^2 R_0}{10} \right] + \frac{R_2^2 R_0}{10}$$

$$\gamma + \frac{R_2^2 R_0}{10}$$

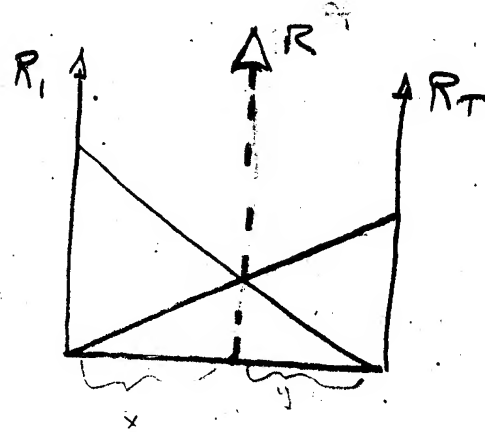
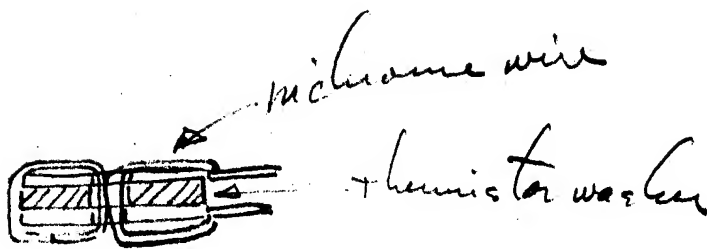
$$\gamma + \frac{R_2^2 R_0}{10}$$

This means we want +

$$\frac{R_2^2 R_0}{\gamma} \text{ to be small,}$$



$$R = \frac{R_1 R_T}{R_1 + R_T}$$



$$\frac{x+y}{R_T} = \frac{x}{R} \quad \left\{ \quad \frac{R_1}{R_T} = \frac{x}{y} \right.$$

$$\frac{x+y}{R_1} = \frac{y}{R}$$

$$R = \frac{x}{x+y} R_T = \frac{y}{x+y} R_1$$

$$R = \frac{1}{1 + \frac{y}{x}} R_T = \frac{R_T}{1 + \frac{R_T}{R_1}}$$

$$= \frac{R_T R_1}{R_1 + R_T}$$

CONFIDENTIAL